

AD-A087 208

NAVAL RESEARCH LAB WASHINGTON DC  
QUASILINEAR SCATTERING FROM WAVES DRIVEN BY BEAM-PLASMA INSTABILITIIES--ETC(U)  
APR 80 S H BRECHT, P J PALMADESSO

F/6 4/1

UNCLASSIFIED

| DE |  
40A  
0-47-008

NRL-MR-4203

SBIF-AD-E000 474

NL

END  
DATE  
9-80  
DTIC

ADA 087208

U. S. GOVERNMENT

GENERAL INSURANCE  
AGENCY  
WICHITA, KANSAS

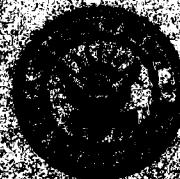
AMERICAN

P. J. PARADISO

GENERAL INSURANCE AGENCY  
WICHITA, KANSAS

April 21, 1980

RECORDED AND INDEXED  
WICHITA, KANSAS, APRIL 21, 1980



1000

copy

**UNCLASSIFIED**

SECURITY CLASSIFICATION OF THIS PAGE (When Data Entered)

DD FORM 1 JAN 73 1473 EDITION OF 1 NOV 68 IS OBSOLETE  
S/N 0102-014-6601

UNCLASSIFIED

SECURITY CLASSIFICATION OF THIS PAGE (When Data Enclosed)

CONTENTS

INTRODUCTION .....	1
LINEAR CALCULATION .....	4
QUASILINEAR CALCULATION .....	9
DISCUSSION .....	15
CONCLUSIONS .....	18
REFERENCES .....	20
DISTRIBUTION LIST .....	27

Accession For	
NTIS GRA&I	<input checked="" type="checkbox"/>
DDC TAB	<input type="checkbox"/>
Unannounced	<input type="checkbox"/>
Justification _____	
By _____	
Distribution/ _____	
Availability Codes	
Dist.	Avail and/or special
A	

QUASILINEAR SCATTERING FROM WAVES DRIVEN BY  
BEAM-PLASMA INSTABILITIES

INTRODUCTION

Test data taken during the Starfish event of 1962 displays a marked second brightening of the atmosphere in the southern conjugate region. This brightening followed the initial luminescence in the southern conjugate region caused by the deposition of the initial debris by approximately 10 seconds.

The explanation that appears most probable involves scattering a fraction of the streaming debris out of the loss cone as the debris proceeds toward the southern conjugate region. The scattering sources are waves excited to high levels driven by the initial fast debris. The scattered debris would then mirror in the southern conjugate and stream toward the magnetic bubble. Some fraction would be scattered back into the loss cone region by the loss cone instability. The remainder would mirror off of the bubble and return toward the southern conjugate region. During the return the loss cone region could be filled by loss cone instabilities and a second precipitation of debris particles could occur. The second precipitation would involve a greater proportion of the distribution because of nonlinear flattening of the distribution function.

In this report the possibility of exciting the waves which are predicted to perform the scattering is addressed. It will be shown by use of a numerical code and quasilinear estimates that indeed waves can be excited and will grow to sufficient levels to cause quasilinear diffusion of the streaming debris distribution function.

The code employed is a linear code which has been used to study beam-plasma instabilities in tokamaks. The circumstances of the problem are similar to a beam-plasma interaction, the general type of which, have been studied for a number of years in the fusion community.<sup>1-5</sup> The linear code calculates the energy transfer between the beam and waves of interest and the waves with the background plasma to determine the growth rates and energy transferred to the wave. From these calculations quasilinear estimates are made to determine the amount of scattering taking place.

There are a large number of waves which may be excited by a beam of high energy ions.<sup>4</sup> Among them are the ion cyclotron wave, ion Bernstein wave, ion acoustic wave, low-hybrid waves and shear Alfvén waves. Several of these waves are of high frequency and candidates for study. However, the ion cyclotron wave and its higher harmonics, usually called the ion Bernstein wave, are chosen for study because these waves have been predicted theoretically<sup>1</sup> and shown experimentally<sup>6-10</sup> to be excited during beam plasma interactions. The code employed for this work was successful in predicting quite accurately these instabilities in a variety of plasma devices from Q machines, to Tokamaks such as the French tokamak, TFR,<sup>10</sup> and PLT, the Princeton Large Torus.

In the following section the details for calculating the linear growth rates for the waves will be briefly discussed. The quasilinear estimates are presented in the following section and finally the conclusion of these calculations are presented.

## LINEAR CALCULATION

The linear calculation is based on a perturbation method where the real frequency is assumed larger than the imaginary,  $\omega_r > \omega_i$ .<sup>4,11</sup> The code calculates the rate of change of the wave energy by computing a time averaged  $\underline{J} \cdot \underline{E}$  for each species given by the following formula

$$\frac{dW_k}{dt} = \langle \underline{J} \cdot \underline{E} \rangle \equiv \sum_j L_j \equiv \sum_j n_j \mathcal{L}_j \quad (1)$$

where the sum  $j$  is over the plasma species. Physically the process of energy transfer takes place through resonant processes either Landau cyclotron or anomalous cyclotron resonances. The beam transfers energy to the wave and background plasma. The wave in turn transfers energy to the background electron or ions. If the beam pumping rate is larger than the damping rates the wave grows.

Typically, the instability is parameterized by the amount of beam density necessary to drive the wave unstable,  $n_b$ . From Eq. (1) a marginal stability criterion can be established. For marginal stability

$$n_i \mathcal{L}_i + n_e \mathcal{L}_e + n_b \mathcal{L}_b = 0 \quad (2)$$

where  $n_j$  are the densities of the species and  $\mathcal{L}_j$  is the power transferred per particle. One then obtains

$$\left( \frac{n_b}{n_e} \right)_{\text{critical}} = - \frac{\mathcal{L}_e + n_i \mathcal{L}_i / n_e}{\mathcal{L}_b} \quad (3)$$

and

$$\gamma = \frac{1}{2W_k} \frac{dW_k}{dt} = \frac{n_e \mathcal{L}_b}{W_k} \left( \frac{n_b}{n_e} - \left( \frac{n_b}{n_e} \right)_{\text{crit.}} \right) \quad (4)$$

where Eq. (4) is the equation for the growth rate. If  $n_b$  is known then the code calculates the power transfer per particle for the beam,  $\mathcal{L}_b$ , and the wave energy for the wave being studied to produce the growth rate. Obviously if  $n_b/n_e < (n_b/n_e)_{\text{crit.}}$  the mode is damped. The power transfer function is calculated from the following formulas;<sup>1,4</sup>

$$\mathcal{L}_j = \frac{-e^2 z_j}{4|k_{||}|^3 v_j^3 m_j} \sum_{\ell=-\infty}^{\infty} |M_j^\ell| \epsilon_j^\ell \quad (5)$$

where

$$M_j^\ell = \frac{\ell \omega_{cj} E_{||}}{k_{\perp}} + \frac{\omega - \ell \omega_{cj}}{|k_{||}|} E_{||} \quad (6)$$

and

$$\epsilon_j^\ell = 4\pi^2 \int_0^\infty dv_{\perp} v_{\perp} J_\ell^2 \left( \frac{k_{\perp} v_{\perp}}{2\omega_{cj}} \right) \left[ \left( 1 - \frac{\ell \omega_{cj}}{\omega} \right) \frac{\partial F_j}{\partial v_{||}^2} + \frac{\ell \omega_{cj}}{\omega} \frac{\partial F_j}{\partial v_{\perp}^2} \right] v_{||} = c_j^\ell \quad (7)$$

with

$$c_j^\ell \equiv (\omega - \ell \omega_{cj}) / k_{||}$$

For Maxwellian Species

$$\mathcal{L}_{j=e,i} = \frac{z_j^2 e^2}{2|k_{||}|v_j^3 m_j} \sum_{\ell=-\infty}^{\infty} |M_j^\ell|^2 I_\ell(b) e^{-b} e^{-(\omega - \ell \omega_{cj})^2 / k_{||}^2 v_j^2} \quad (8)$$

where  $I(b)$  is the modified Bessel function,  $b = \frac{1}{2} \left( \frac{kv}{\omega_{cj}} \right)^2$  and  $v_j = \left( 2T_j/m_j \right)^{1/2}$ .

As can be seen from Eq. (7) in order to perform the calculations one needs to know the distribution function for the beam,  $F_b$ . One could assume a monoenergetic beam of particles streaming down the field lines but while such a distribution will produce unstable waves it does not appear realistic.

Noting that the debris streaming down the field lines has already interacted with the coupling shell through a variety of instabilities, i.e., loss cone and mirror instabilities, one needs a more sophisticated model. The model must also consider the effects of velocity dispersion because the excitation of the scattering wave can occur at considerable distances from the burst point. For a simple model of these effects one can use the Fokker-Planck Equation<sup>1</sup> to obtain a distribution which will represent the fact that the debris particles have been scattered in velocity space. Inclusion of a source term in the Fokker-Planck equation

allows one to model the velocity dispersion. That is, particles are introduced into velocity space at a given location. The results of running the Fokker-Planck section of the code is shown in Figure 1. The beam was injected at 200 keV or a velocity of  $1.18 \times 10^8$  cm/sec. The distribution was allowed to evolve until an appropriate spread in velocity was obtained. As can be seen in Figure 1 the resulting distribution function the particles have a pitch angle ratio of about 10 to 1,  $v_{||}$  to  $v_{\perp}$ , consistent with the mirror ratio of the magnetic bubble. In addition, the particle density is weighted toward the high velocity side which is the effect produced by velocity dispersion along the magnetic field line. The slow edge of the distribution has a parallel velocity near  $7.3 \times 10^7$  cm/sec.

This distribution while not having the exact details of the debris distribution function appears to have the quantitative details which are of interest. In the calculations to be discussed, this is the distribution employed. It represents, we feel, a conservative estimate due to the smoothness and the way we introduced the beam. Only one-quarter of the actual beam density was obtained so the actual gradients are in fact smaller than might be expected.

It should be noted that the effect of the velocity dispersion is very important because the instability grows in the positive slope region of the instability. This characteristic has a definite effect in determining where the velocity will be excited and what part of the total debris spectrum will be affected. These effects will be discussed later in this report.

Upon running the linear code it was found that, while the fundamental electrostatic mode of the ion cyclotron wave could be excited, very little energy was transferred into this mode. Therefore growth rates were quite small and insufficient for the anticipated pulse width of the debris. The details of the dispersion relation for the ion cyclotron wave and its higher harmonics, the ion Bernstein waves, can be found in Reference 1.

It was found that the ion Bernstein waves could be excited with quite large growth rates. These rates approached the real frequency of the mode when  $n_b$  was taken to be 20% of  $n_e$ . The parameters used for these calculations are shown in Table I. Two harmonics of the wave were considered. In the first wave to be studied the second cyclotron harmonic of the beam cyclotron frequency resonates with the wave near the second harmonic of the plasma cyclotron frequency, i.e.,:  $\omega_{cb} \approx \omega_{ci}$  where  $\lambda_b = \lambda = 2$ . In the case of exciting the third harmonic of the ion Bernstein mode the resonate match was  $\lambda_b = 2, \lambda = 3$ .

Both waves were found to be easily excited because the resonant nature of the modes minimizes the Landau and cyclotron damping of the modes. There was considerable energy transfer from the beam to the wave and the growth rates approached  $\omega_{ci}$ , the limits of the code. Table II show typical results of the second harmonic calculation. It can be seen from Table II that the typical scale for the wavelengths are about 6 km in the perpendicular direction and 30 km in the parallel direction. The group velocities appear to be slow enough so that the excitation process will occur on time scales faster than the energy transport. In summary

the results from the linear calculations indicate that waves of the ion Bernstein type will be excited and so will some of the higher frequency waves.

#### QUASILINEAR CALCULATION

In this section the quasilinear estimates for the pitch angle scattering of the streaming debris are addressed. The purpose of this discussion is to ascertain whether or not quasilinear effects would be important. It should be noted from the outset that to perform this calculation with complete accuracy one needs to do the problem numerically in two dimensions. However, the approximation to one dimensional diffusion is reasonably good as the perpendicular electron field of the wave,  $E_{\perp}$ , is considerably larger than the parallel  $E_{||}$ ,  $E_{\perp} \gg E_{||}$ . The general approach for quasilinear calculations can be found in Reference 12.

As mentioned, the waves being considered are electrostatic in nature. This allows one to write the equation for the quasilinear behavior of the beam distribution as

$$\frac{\partial f_b}{\partial t} = \pi \left( \frac{e_b}{m_b} \right)^2 \sum_{k_{||} k_{\perp}} \left( k_{||} \frac{\partial}{\partial v_{||}} + \frac{\ell \omega_{cb}}{v_{\perp}} \frac{\partial}{\partial v_{\perp}} \right) |\phi_k|^2 \delta (\omega - \ell \omega_{cb} - k_{||} v_{||})$$

(9)

$$x J_{\ell}^2 (k_{\perp} v_{\perp} / \omega_{cb}) \left( k_{||} \frac{\partial f_b}{\partial v_{||}} + \frac{\ell \omega_{cb}}{v_{\perp}} \frac{\partial f_b}{\partial v_{\perp}} \right),$$

where  $J_\ell$  is the Bessel function and  $\phi_k$  is the electrostatic potential. For the unstable modes the parallel wave electric field is sufficiently small that the quasilinear diffusion reduces to a diffusion in  $v_\perp$  at a constant  $v_{||}$  given by

$$\frac{\partial f_b}{\partial \tau} \Big|_q = \frac{1}{v_\perp} \frac{\partial}{\partial v_\perp} \left[ v_\perp D(v_\perp, v_{||}) \right] \frac{\partial f_b}{\partial v_\perp} \sim \frac{f_b}{\tau_q}, \quad (10)$$

where

$$D(v_\perp, v_{||}) = \frac{e_b^2}{m_b} \left( \frac{\ell \omega_{cb}}{v_\perp} \right)^2 \sum_k |\phi_k|^2 J_\ell^2 \left( \frac{k_\perp v_\perp}{\omega_{cb}} \right) \delta(\omega_k - \ell \omega_{cb} - k_{||} v_{||}). \quad (11)$$

Equation (10) defines the quasilinear time, i.e., the time scale upon which one expects quasilinear affects to act. The sum over the resonant modes is related to the sum over the fluctuation spectrum through the correlation time given by  $\tau_c = 1/\Delta k_{||} v_b = (\Delta v_{b||}/v_b) \delta\omega$  where  $\Delta v_{b||}/v_b$  is the relative width of the parallel velocity distribution and  $\delta\omega = \omega - \omega_{ci}$ . This time scale is a measure of the time the beam will stay in resonance with the wave. Although the time  $\tau_c$  can be long compared to the wave period, one finds that the quasilinear conditions remain valid for the noise levels estimated here for many e-folding times.

One can define the ratio of rf wave energy density to the thermal plasma density by

$$\Gamma_{rf} = \frac{w_k}{\frac{3}{2} (n_e T_e + n_i T_i)} \quad (12)$$

where the wave energy,  $w_k$ , is defined in Reference 1 as

$$w_k \sim \frac{2\omega_{ci}^2}{k_\perp^2 v_\perp^2} \left( \frac{\ell\omega_{ci}}{\omega - \ell\omega_{ci}} \right)^2 \frac{I_\ell(b) e^b}{16\pi} |E_k|^2, \quad (13)$$

$$\text{where } b = \left( \frac{k_\perp v_\perp}{\omega_{ci}} \right)^2 / 2.$$

For this case  $E_k = E_\perp$  and it is assumed that  $T_e = T_i = T$  for the rest of the calculation. Substituting Eq. (13) into Eq. (12) returns the following expression

$$\Gamma_{rf} = \frac{1}{12} \sum_k \left| \frac{e\phi}{T} \right|^2 \frac{(\ell\omega_{cb})^2}{(\omega - \ell\omega_{cb})^2} I_\ell(b) e^b. \quad (14)$$

Using Eqs. (10) and (11) as well as the correlation time leads to the expression for the quasilinear time

$$\frac{1}{\tau_q} \sim \frac{\pi e_b^2 v_b ||}{m_b^2 \Delta v_b || \Delta v_{b\perp}^2 v_{b\perp}^2} \frac{(\ell\omega_{cb})^2}{(\omega - \ell\omega_{cb})^2} J_\ell \left( \frac{k_\perp v_\perp}{\omega_{cb}} \right) \sum_k |\phi_k|^2. \quad (15)$$

From Eqs. (14) and (15) one obtains the final form for the quasilinear time

$$\frac{1}{\tau_q} = 3\pi\omega_{cb}\Gamma_{rf} \left(\frac{T}{E_b}\right)^2 G_b \frac{\omega - \ell\omega_{cb}}{\omega_{cb}} \frac{J_\ell^2 (k_\perp v_\perp / \omega_{cb})}{I_\ell(b) e^{-b}} e^{2\gamma t}, \quad (16)$$

where

$$G_b \equiv v_b^4 v_b || / v_{b\perp}^2 \Delta v_b || \Delta v_{b\perp}^2$$

measures the localization of the fast ion distribution velocity space. It is assumed that the fluctuation potential begins from thermal levels therefore  $W_k$  (thermal) =  $(2\pi)^{-3} T \Delta^3 k$  and using Eq. (13) the electric field at the thermal level is estimated to be

$$E_\perp^2 = \frac{T \Delta^3 k 16\pi(\omega - \ell\omega_{ci})^2}{I_\ell(b) e^{-b} \ell^2 \omega_{pi}^2} e^{2\gamma t_0}, \quad t_0 = 0. \quad (17)$$

One last relation must be determined, that is the growth time necessary for the mode to grow to nonlinear or saturated levels. This can be estimated by recalling that trapping effects will occur when the noise level has grown sufficiently. Typically this would occur when the trapping velocity  $(e\phi/m_b)^{1/2}$  becomes equal to  $\Delta v_{b||}$  or equivalently when the resonant fast ion bounce frequency,  $k_{||} (e\phi/m_b)^{1/2}$ , becomes equal to the decorrelation rate  $1/\tau_c$ . Applying this condition to Eq. (14) one arrives at the relation

$$\Gamma_{rf}(\text{trap}) \sim \frac{1}{12} \left( \frac{\Delta v_b ||}{c_s} \right)^4 \left( \frac{\ell \omega_{cb}}{\omega - \ell \omega_{cb}} \right)^2 I_\ell(b) e^{-b} \quad (18)$$

with  $c_s$  defined as the sound speed. At this point one can estimate the time it will take the mode to encounter nonlinear effect with the relation,

$$\tau_s \sim \frac{1}{2\gamma} \ln \left( \frac{\Gamma_{rf}(\text{trap})}{\Gamma_{rf}(\text{thermal})} \right) . \quad (19)$$

Using the values contained in Tables I, II, and III, Eqs. (16) and (19) can be evaluated. The quasilinear time estimate and the trapping time estimate can be compared to one another and with the correlation time to determine if the quasilinear effects have been self-consistently estimated.

Equations (16) and (19) along with the relation for the correlation time were numerically evaluated. The correlation time,  $\tau_c$ , was found to be in the range of 0.025 to 0.1 sec. This implies that the positive slope of the distribution function such as shown in Figure 1 will be resonant with the wave for times of order 0.1 sec. The quasilinear time,  $\tau_q$ , which is the measure to determine if strong pitch angle scattering will occur on a time scale comparable with or faster than the correlation time, is found to be on order  $10^{-3}$  sec after the perturbed potential has grown for  $\sim 0.05$  to 0.1 sec. The higher harmonic modes reach the point of rapid quasilinear diffusion in shorter periods. Finally, the saturation time,  $\tau_s$ , is estimated to be approximately 0.05 to 0.1 sec.

The results of evaluating the relations for  $\tau_c$ ,  $\tau_q$  and  $\tau_s$  is that  $\tau_c$  and  $\tau_s$  operate on comparable time scales and that on these time scales the wave potential has grown to sufficient levels to produce quite rapid quasilinear effects as reflected by the small values of  $\tau_q$  at times on the order of  $\tau_c$  or  $\tau_s$ .

In Figure 2, the results of evaluating the equation below are shown

$$v_{\perp}(\tau) = v_{\perp}(0) + \frac{e}{m_b \gamma} E_{10} (e^{\gamma \tau} - 1) \quad (20)$$

where  $E_{10}$  is the thermal level of the perpendicular electric field. In this figure plots are made for  $\gamma \sim 2\omega_{ci}$  and  $\gamma \sim 3\omega_{ci}$ . They indicate that  $v_{\perp}(\tau)$  will reach magnitudes large enough to remove the debris from the loss cone region on the time scale of the estimated saturation time,  $\tau_s$ . From Figure 2, it can be seen that although the third harmonic wave begins at a lower fluctuation level, due to its faster growth rate, it reaches levels of sufficient size to cause the pitch angle scattering more rapidly than the second harmonic. It is expected that waves with faster growth rates would continue this trend.

Both the second and third harmonic waves appear in Figure 2 to produce sufficient pitch angle scattering to explain the second brightening phenomena. The estimates indicate that the time scales for the wave to grow and reach at least saturation amplitudes are faster than the pulse width of debris.

## DISCUSSION

Due to the very complicated relations between the wave dispersion relations and the beam distribution function in this calculation and the lack of knowledge about the details of the time evolution of the debris spectrum, it is impossible to make statements concerning the exact region of the debris distribution function which will excite the waves. Estimates can be made, however, which will indicate probable areas of interest.

Before these estimates can be made some details of the wave dispersion relation must be presented. It was found during the numerical calculation that the frequency at any  $k_{\perp}$  valid with the parameter regime of the calculation was independent of  $k_{||}$ . It was also found in this same parameter regime that the frequency was slowly varying in  $k_{\perp}$ . Therefore, to good accuracy over the full range of possible  $v_{b||}$  one could consider the frequency shift,  $\omega - \omega_{ci}$ , to be a constant.

During the course of the calculation it was found that the modes that could be excited had a very limited range in  $k_{||}$  and that this preferred parallel wavelength was about 30 km. To some extent this particular wavelength is a function of the distribution used but the narrowness of the spectrum is probably independent of it. As can be seen in Figure 1, there was a fair range of  $v_{||}$  space in which the distribution had a positive slope but the modes discussed here were the only ones undergoing energy transfer. Using the resonant condition for beam wave energy transfer,  $v_{b||} = (\omega - \omega_{cb})k_{||}$ , and noting that the scale height of the atmosphere may limit the length of any given mode, one can estimate an upper bound on the parallel velocity which might

excite waves. With the scale height  $\sim 100$  km and recalling the  $\omega - k\omega_{cb} \sim$  constant the maximum parallel beam velocity is estimated to be about  $2.3 \times 10^8$  cm/sec. At equatorial latitudes the scale height argument does not apply and one may find longer wavelengths thus higher parallel velocities. One can make additional estimates by noting that the mode which appears to be the most unstable in this sample calculation has a parallel wavelength of about 30 km and that the correlation time, where  $\tau_c \sim \Delta v_b || / (v_b || \delta\omega)$ , has a range of about 0.025 sec to 0.1 sec. With these parameters the range of velocities which might excite the waves is found to be about  $6 \times 10^7$  cm/sec to  $1.2 \times 10^8$  cm/sec. However, once the waves have been excited debris of all velocities would undergo strong pitch angle scattering. Clearly particles with higher velocities than those exciting the wave would also be scattered by these waves but the proportion of particles scattered at any given energy would be lower. This occurs because the high energy particles emitted from the coupling shell at the earliest times would encounter low levels of wave turbulence while high energy particles emitted later would see high fluctuation levels. The exact timing of such occurrences is difficult to ascertain.

The time of arrival for the particles with velocities in the range  $6 \times 10^7$  to  $2.3 \times 10^8$  cm/sec is the southern conjugate region (SCR) can be easily estimated. Using 4000 km as a canonical distance, one finds that these particles will arrive in the SCR in the time frame of 1.8 to 7 sec. However, since these particles are expected to excite the waves they represent the sections of the distribution which will be most drastically isotropized by the waves. This would remove as much as 50% of the debris population in this velocity range from the loss cone and would account for the second brightening.

While this discussion has been directed toward specific set of Bernstein modes, one could expect a spectrum of both varying wavelengths and different frequency harmonics to be excited. The higher harmonic modes,  $l > 2$ , would be excited by the faster portions of the streaming debris and will be scattered by these modes. The fluctuation levels may be expected to be less than the modes discussed at length here due to energy coupling difficulties encountered by the higher harmonic modes.<sup>1</sup> In any case the range of the spectrum will be greatly effected by the exact details of the debris distribution as a function of time and space. As a final comment estimates made from the SCORPIO code runs indicate that there would be sufficient beam density to excite these waves in the parameter region discussed.

## CONCLUSIONS

The results of the linear calculations indicate that the ion Bernstein modes near the second and third harmonic of the plasma cyclotron frequency will be excited by the streaming debris. Modes of higher frequency may also be excited but were not considered in these calculations.

Quasilinear estimates indicate that quasilinear effects will occur on time scales shorter than the debris pulse width  $\sim 1$  sec. Using simple estimates for the growth rates and the amplitude of the perpendicular electric field as a function of time, it is found that considerable diffusion of the debris distribution function will occur on time scales comparable with the saturation time, i.e.,  $\sim 0.1$  sec.

The pitch angle scattering predicted from the quasilinear estimates is more than sufficient to remove a significant fraction of the streaming debris particles from the loss cone. From the estimates made of the range of possible beam velocities that might excite the wave and undergo pitch angle scattering it was found that a large percentage of the total debris distribution was susceptible to these instabilities.

The estimates appear to be in agreement with the data in the SCR. The second brightening in this region appeared to be nearly as bright as the first indicating something approaching equal partition of the energy between the two depositions. From these calculations most of the debris distribution would be susceptible to the instabilities and one then has the possibility of up to 50% of the debris being mirrored. This of course would be the upper bound and a more realistic number probably involves factors of two. An additional phenomena was observed during

the SCR deposition. It appeared on the film that the altitude of deposition between the first and second brightening had changed. The region of luminescence caused by the second deposition appeared at a higher altitude. These results would indicate that the energy of the most energetic particles in the debris being deposited was less than at the time of the first deposition. This again appears to be consistent with the effects of the instability. As the waves are excited, the particles must lose energy. This would have the effect of decreasing the energy of the portions of the distribution which is exciting the waves. Typically the higher energy particles.

In summary, from the linear and quasilinear calculations it is certain that the ion Bernstein waves can be excited. It appears that they can be excited to sufficient wave amplitude to cause strong pitch angle scattering and explain the second brightening seen in the southern conjugate region during the Starfish event. It also seems clear that nonlinear effects may make the phenomena discussed here even more pronounced if flattening of the distributions occurs. This flattening would inhibit the excitation of these waves after the isotropization. The result of this would be that upon subsequent bounces the particles would not be scattered out of the loss cone by these instabilities and would then precipitate for the most part upon return to the SCR, with particles being returned to the loss cone region by loss cone instabilities. Work on a problem similar to this is discussed in References 13 and 14 where the authors have addressed the problem of electron trapping in the radiation belts.

## REFERENCES

1. S. H. Brecht, D. A. Hitchcock, and W. Horton, Jr., *Phys. Fluids* 21, 447, (1978).
2. D. A. Hitchcock, S. H. Brecht, and W. Horton, Jr., *Phys. Fluids* 20, 1551, (1977).
3. E. S. Weibel, *Phys. Fluids* 13, 3003, (1970).
4. H. L. Berk, W. Horton, Jr., M. N. Rosenbluth, and P. H. Rutherford, *Nuclear Fusion* 15, 1012 (1976).
5. L. P. Mai and W. Horton, Jr., *Phys. Fluids* 18, 356, (1975).
6. M. Yamada, S. Seiler, H. W. Hendel and H. Ikeji, *Phys. Fluids* 20, 450, (1977).
7. H. Böhmer, J. P. Hauch and N. Ryan, *Phys. Fluids* 19, 450 (1976).
8. H. Böhmer, *Phys. Fluids* 19, 1371, (1976).
9. P. Michelen, H. L. Acseli, J. J. Rasmussen, N. Sato, *Phys. Fluids* 19, 453, (1976).
10. R. Dei-Cas in "Third Symposium on Plasma Heating in Toroidal Devices" (Proceeding of the International School of Plasma Physics, Villa Monastero, Italy, 1976). Editor E. Sindoni, Editrice Compositori, Bologna (1976) pp. 781-789.
11. S. H. Brecht, Univ. of Texas, FRCR No. 163 (1977).
12. N. A. Krall and A. W. Trivelpiece, "Principles of Plasma Physics" (McGraw-Hill, New York, 1973).
13. G. T. Davidson, *JGR* 78, 7569 (1973).
14. G. T. Davidson, *JGR* 80, 3172 (1975).

Table I  
Input Parameters for Ion Bernstein Mode

Electron Temperature	0.07 eV
Ion Temperature	0.07 eV
Magnetic Field	0.3 G
Electron Density	$1.0 \times 10^4 / \text{cm}^3$
Mass of Beam Particle	$27 m_p$
Beam Density	$0.2 n_e$
Mass of Background Ions	$16 m_p$
Initial Beam Velocity	$1.18 \times 10^8 \text{ cm/sec or } 200 \text{ keV}$

Table II  
Results for the second Harmonic Excitation

$l$	= 2
Growth Rate, $\gamma$ ,	$\leq 2\omega_{ci}$
$\omega - l\omega_{ci}$	$\sim 0.01\omega_{ci} \rightarrow 0.01\omega_{ci}$
$\omega_{ci}$	$\sim 1.80 \times 10^2/\text{sec}$
$\omega_{cb}$	$\sim 1.06 \times 10^2/\text{sec}$
$\omega$	$\sim 3.56 \times 10^2/\text{sec}$
$k_{\perp}$	$\sim 1.E-6/\text{cm}$
$k_{  }$	$\sim 2.E-6/\text{cm}$
$v_{thi}$	$\sim 9.15 \times 10^4 \text{ cm/sec}$
$v_{g\perp}$	$\sim 2.97 \times 10^2 \text{ cm/sec}$
$v_{g  }$	$\sim 1 \times 10^7 \text{ cm/sec}$

Table III  
Parameter for Quasilinear Estimate

$\Delta v_{b\perp}$	$\sim$	$v_{b\perp} \sim \ell \omega_{cb} / k_{\perp}$
$\Delta v_{b\parallel}$	$\sim$	$0.2 v_{b\parallel}$
$v_{b\perp}$	$\sim$	$0.1 v_{b\parallel}$
$\Delta k_{\parallel}$	$\sim$	$3 \times 10^{-7} / \text{cm}$
$\Delta k_{\perp}$	$\sim$	$3 \times 10^{-6} / \text{cm}$
$J_{\ell}(b)e^{-b}$	$\sim$	$(b/2)^{\ell} e^{-b} \sim (b/2)^{\ell}$
$J_{\ell}(k_{\perp} v_{\perp} / \omega_{cb})$	$\sim$	$(1/2 k_{\perp} v_{\perp} / \omega_{cb})^{\ell}$
$\Delta^3 k$	$\sim$	$\Delta k_{\parallel} \Delta k_{\perp}^2$
$c_s$	$\sim$	$6.47 \times 10^5 \text{ cm/sec}$
$v_b$	$\sim$	$1.18 \times 10^8 \text{ cm/sec}$

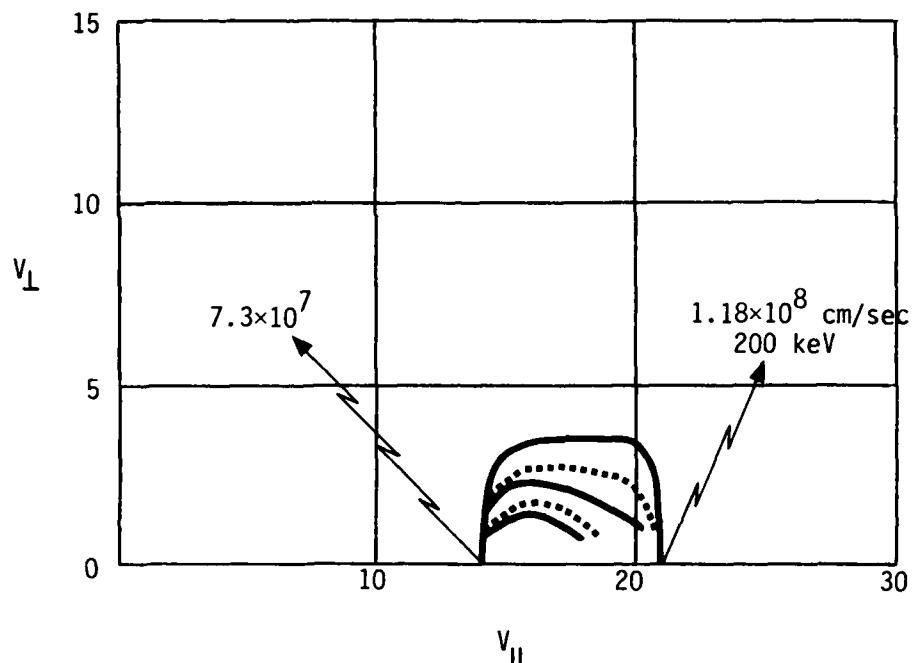


Figure 1

The debris distribution functions as used in the linear calculation. The velocity of injection is  $1.18 \times 10^8$  cm/sec. The velocities on the plot are in dimensionless units. The normalization velocity is  $5.59 \times 10^6$  cm/sec.

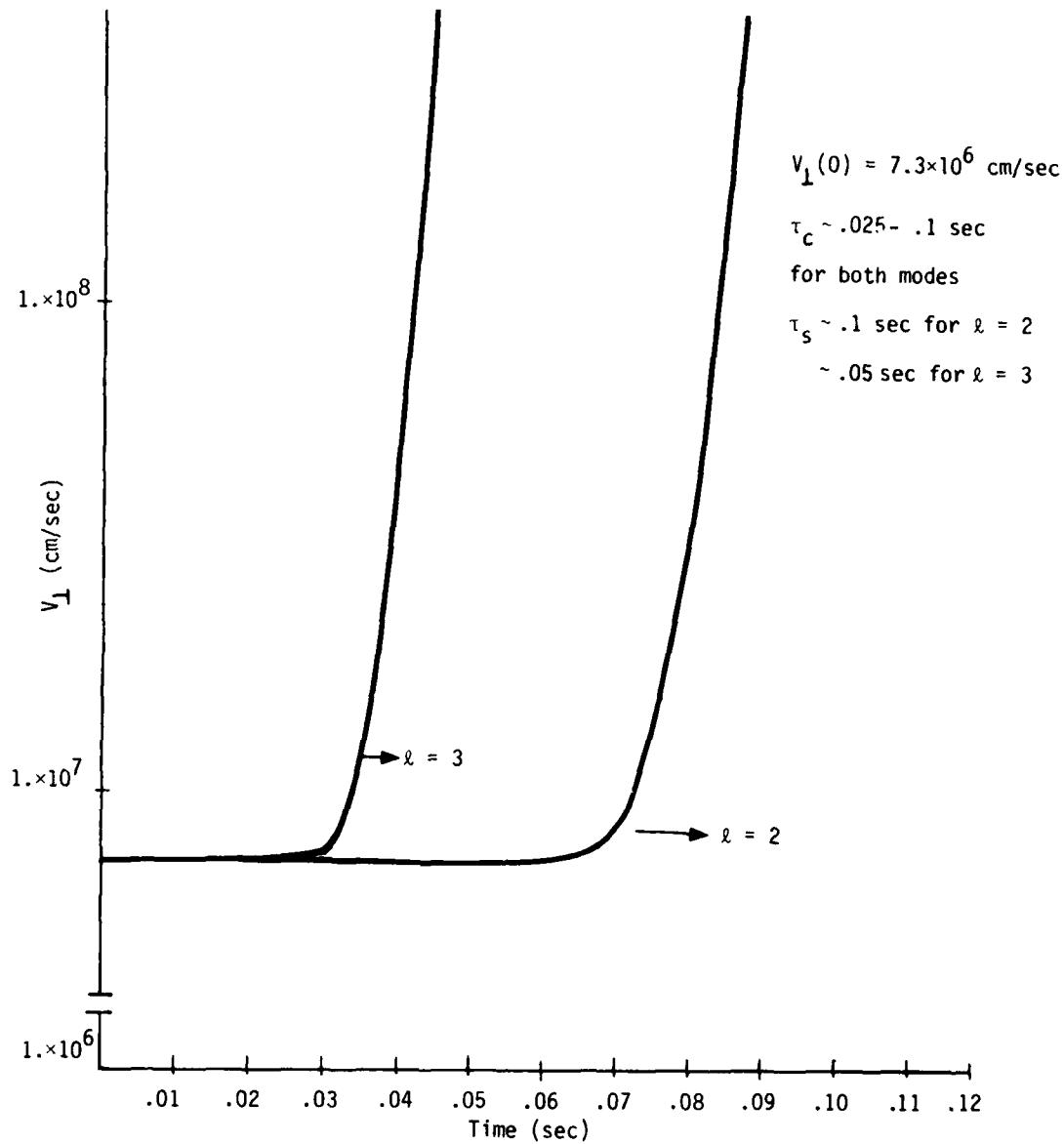


Figure 2

The time evolution of the perpendicular velocity of the streaming debris. The initial  $v_{b\perp}$  is assumed 0.1 of  $v_{b\parallel}$ . The parallel correlation time,  $\tau_c$ , and  $\tau_s$ , the estimated time for parallel trapping effects are shown for each mode. In both  $\ell = 2$  and  $\ell = 3$  case it was assumed that  $\gamma \sim \ell \omega_{ci}$ .

DISTRIBUTION LIST

DEPARTMENT OF DEFENSE

ASSISTANT SECRETARY OF DEFENSE  
COMM, CMD, CONT & INTELL  
WASHINGTON, D.C. 20301  
01CY ATTN J. BABCOCK  
01CY ATTN M. EPSTEIN

ASSISTANT TO THE SECRETARY OF DEFENSE  
ATOMIC ENERGY  
WASHINGTON, D.C. 20301  
01CY ATTN EXECUTIVE ASSISTANT

DIRECTOR  
COMMAND CONTROL TECHNICAL CENTER  
PENTAGON RM BE 685  
WASHINGTON, D.C. 20301  
01CY ATTN C-650  
01CY ATTN C-312 R. MASON

DIRECTOR  
DEFENSE ADVANCED RSCH PROJ AGENCY  
ARCHITECT BUILDING  
1400 WILSON BLVD.  
ARLINGTON, VA. 22209  
01CY ATTN NUCLEAR MONITORING RESEARCH  
01CY ATTN STRATEGIC TECH OFFICE

DEFENSE COMMUNICATION ENGINEER CENTER  
1860 WIEHLE AVENUE  
RESTON, VA. 22090  
01CY ATTN CODE R820  
01CY ATTN CODE R410 JAMES W. MCLEAN  
01CY ATTN CODE R720 J. WORLINGTON

DIRECTOR  
DEFENSE COMMUNICATIONS AGENCY  
WASHINGTON, D.C. 20305  
(ADR CNWDI: ATTN CODE 240 FOR)  
01CY ATTN CODE 101B

DEFENSE DOCUMENTATION CENTER  
CAMERON STATION  
ALEXANDRIA, VA. 22314  
(12 COPIES IF OPEN PUBLICATION, OTHERWISE 2 COPIES)  
12CY ATTN TC

DIRECTOR  
DEFENSE INTELLIGENCE AGENCY  
WASHINGTON, D.C. 20301  
01CY ATTN DT-1B  
01CY ATTN DB-4C E. O'FARRELL  
01CY ATTN DIAAP A. WISE  
01CY ATTN DIAST-5  
01CY ATTN DT-1BZ R. MORTON  
01CY ATTN HQ-TR J. STEWART  
01CY ATTN W. WITTIG DC-7D

DIRECTOR  
DEFENSE NUCLEAR AGENCY  
WASHINGTON, D.C. 20305  
01CY ATTN STVL  
04CY ATTN TITL  
01CY ATTN DOST  
03CY ATTN RAAE

COMMANDER  
FIELD COMMAND  
DEFENSE NUCLEAR AGENCY  
KIRTLAND AFB, NM 87115  
01CY ATTN FCPR

DIRECTOR  
INTERSERVICE NUCLEAR WEAPONS SCHOOL  
KIRTLAND AFB, NM 87115  
01CY ATTN DOCUMENT CONTROL

JOINT CHIEFS OF STAFF  
WASHINGTON, D.C. 20301  
01CY ATTN J-3 WMMCCS EVALUATION OFFICE

DIRECTOR  
JOINT STRAT TGT PLANNING STAFF  
OFFUTT AFB  
OMAHA, NB 68113  
01CY ATTN JLTW-2  
01CY ATTN JPST G. GOETZ

CHIEF  
LIVERMORE DIVISION FLD COMMAND DNA  
DEPARTMENT OF DEFENSE  
LAWRENCE LIVERMORE LABORATORY  
P. O. BOX 808  
LIVERMORE, CA 94550  
01CY ATTN FCPR

DIRECTOR  
NATIONAL SECURITY AGENCY  
DEPARTMENT OF DEFENSE  
FT. GEORGE G. MEADE, MD 20755  
01CY ATTN JOHN SKILLMAN R52  
01CY ATTN FRANK LEONARD  
01CY ATTN W14 PAT CLARK  
01CY ATTN OLIVER H. BARTLETT W32  
01CY ATTN R5

COMMANDANT  
NATO SCHOOL (SHAPE)  
APO NEW YORK 09172  
01CY ATTN U.S. DOCUMENTS OFFICER

UNDER SECY OF DEF FOR RSCH & ENRG  
DEPARTMENT OF DEFENSE  
WASHINGTON, D.C. 20301  
01CY ATTN STRATEGIC & SPACE SYSTEMS (SOS)

WMMCCS SYSTEM ENGINEERING ORG  
WASHINGTON, D.C. 20305  
01CY ATTN R. CRAWFORD

COMMANDER/DIRECTOR  
ATMOSPHERIC SCIENCES LABORATORY  
U.S. ARMY ELECTRONICS COMMAND  
WHITE SANDS MISSILE RANGE, NM 88002  
01CY ATTN DELAS-EO F. NILES

DIRECTOR  
BMD ADVANCED TECH CTR  
HUNTSVILLE OFFICE  
P. O. BOX 1500  
HUNTSVILLE, AL 35807  
01CY ATTN ATC-T MELVIN T. CAPPS  
01CY ATTN ATC-O W. DAVIES  
01CY ATTN ATC-R DON RUSS

PROGRAM MANAGER  
BMD PROGRAM OFFICE  
5001 EISENHOWER AVENUE  
ALEXANDRIA, VA 22333  
01CY ATTN DACS-BMT J. SHEA

CHIEF C-E SERVICES DIVISION  
U.S. ARMY COMMUNICATIONS CMD  
PENTAGON RM 1B269  
WASHINGTON, D.C. 20310  
01CY ATTN C-E-SERVICES DIVISION

COMMANDER  
FRADCOM TECHNICAL SUPPORT ACTIVITY  
DEPARTMENT OF THE ARMY  
FORT MONMOUTH, N.J. 07703  
01CY ATTN DRSEL-NL-RD H. BENNET  
01CY ATTN DRSEL-PL-ENV H. BOMKE  
01CY ATTN J. E. QUIGLEY

COMMANDER  
HARRY DIAMOND LABORATORIES  
DEPARTMENT OF THE ARMY  
2800 POWDER MILL ROAD  
ADELPHI, MD 20783  
(CNWDI-INNER ENVELOPE: ATTN: DELHD-RBH)  
01CY ATTN DELHD-TI M. WEINER  
01CY ATTN DELHD-RB R. WILLIAMS  
01CY ATTN DELHD-NP F. WIMENITZ  
01CY ATTN DELHD-NP C. MOAZED

COMMANDER  
U.S. ARMY COMM-ELEC ENGRG INSTAL AGY  
FT. HUACHUCA, AZ 85613  
01CY ATTN CCC-EMEO GEORGE LANE

COMMANDER  
U.S. ARMY FOREIGN SCIENCE & TECH CTR  
220 7TH STREET, NE  
CHARLOTTESVILLE, VA 22901  
01CY ATTN DRXST-SD  
01CY ATTN R. JONES

COMMANDER  
U.S. ARMY MATERIEL DEV & READINESS CMD  
5001 EISENHOWER AVENUE  
ALEXANDRIA, VA 22333  
01CY ATTN DRCLDC J. A. BENDER

COMMANDER  
U.S. ARMY NUCLEAR AND CHEMICAL AGENCY  
7500 BACKLICK ROAD  
BLDG 2073  
SPRINGFIELD, VA 22150  
01CY ATTN LIBRARY

DIRECTOR  
U.S. ARMY BALLISTIC RESEARCH LABS  
ABERDEEN PROVING GROUND, MD 21005  
01CY ATTN TECH LIB EDWARD BAICY

COMMANDER  
U.S. ARMY SATCOM AGENCY  
FT. MONMOUTH, NJ 07703  
01CY ATTN DOCUMENT CONTROL

COMMANDER  
U.S. ARMY MISSILE INTELLIGENCE AGENCY  
REDSTONE ARSENAL, AL 35809  
01CY ATTN JIM GAMBLE

DIRECTOR  
U.S. ARMY TRADOC SYSTEMS ANALYSIS ACTIVITY  
WHITE SANDS MISSILE RANGE, NM 88002  
01CY ATTN ATAA-SA  
01CY ATTN TCC/F. PAYAN JR.  
01CY ATTN ATAA-TAC LTC J. HESSE

COMMANDER  
NAVAL ELECTRONIC SYSTEMS COMMAND  
WASHINGTON, D.C. 20360  
01CY ATTN NAVALEX 034 T. HUGHES  
01CY ATTN PME 117  
01CY ATTN PME 117-T  
01CY ATTN CODE 5011

COMMANDING OFFICER  
NAVAL INTELLIGENCE SUPPORT CTR  
4301 SUITLAND ROAD, BLDG. 5  
WASHINGTON, D.C. 20390  
01CY ATTN MR. DUBBIN STIC 12  
01CY ATTN NISC-50  
01CY ATTN CODE 5404 J. GALET

COMMANDER  
NAVAL OCEAN SYSTEMS CENTER  
SAN DIEGO, CA 92152  
03CY ATTN CODE 532 W. MOLER  
01CY ATTN CODE 0230 C. BAGGETT  
01CY ATTN CODE 81 R. EASTMAN

DIRECTOR  
NAVAL RESEARCH LABORATORY  
WASHINGTON, D.C. 20375  
01CY ATTN CODE 4700 TIMOTHY P. COFFEY (25 CYS  
IF UNCLASS, 1 CY IF CLASS)  
01CY ATTN CODE 4701 JACK D. BROWN  
01CY ATTN CODE 4780 BRANCH HEAD (150 CYS  
IF UNCLASS, 1 CY IF CLASS)  
01CY ATTN CODE 7500 HQ COMM DIR BRUCE WALD  
01CY ATTN CODE 7550 J. DAVIS  
01CY ATTN CODE 7580  
01CY ATTN CODE 7551  
01CY ATTN CODE 7555  
01CY ATTN CODE 4730 E. MCLEAN  
01CY ATTN CODE 4127 C. JOHNSON

COMMANDER  
NAVAL SEA SYSTEMS COMMAND  
WASHINGTON, D.C. 20362  
01CY ATTN CAPT R. PITKIN

COMMANDER  
NAVAL SPACE SURVEILLANCE SYSTEM  
DAHLGREN, VA 22448  
01CY ATTN CAPT J. H. BURTON

OFFICER-IN-CHARGE  
NAVAL SURFACE WEAPONS CENTER  
WHITE OAK, SILVER SPRING, MD 20910  
01CY ATTN CODE F31

DIRECTOR  
STRATEGIC SYSTEMS PROJECT OFFICE  
DEPARTMENT OF THE NAVY  
WASHINGTON, D.C. 20376  
01CY ATTN NSP-2141  
01CY ATTN NSSP-2722 FRED WIMBERLY

NAVAL SPACE SYSTEM ACTIVITY  
P. O. BOX 92960  
WORLDWAY POSTAL CENTER  
LOS ANGELES, CALIF. 90009  
01CY ATTN A. B. MAZZARD

COMMANDER  
NAVAL SURFACE WEAPONS CENTER  
DAHLGREN LABORATORY  
DAHLGREN, VA 22448  
01CY ATTN CODE DF-14 R. BUTLER

COMMANDING OFFICER  
NAVY SPACE SYSTEMS ACTIVITY  
P.O. BOX 92960  
WORLDWAY POSTAL CENTER  
LOS ANGELES, CA. 90009  
01CY ATTN CODE 52

OFFICE OF NAVAL RESEARCH  
ARLINGTON, VA 22217  
01CY ATTN CODE 465  
01CY ATTN CODE 461  
01CY ATTN CODE 402  
01CY ATTN CODE 420  
01CY ATTN CODE 421

COMMANDER  
AEROSPACE DEFENSE COMMAND/DC  
DEPARTMENT OF THE AIR FORCE  
ENT AFB, CO 80912  
01CY ATTN DC MR. LONG

COMMANDER  
AEROSPACE DEFENSE COMMAND/XPD  
DEPARTMENT OF THE AIR FORCE  
ENT AFB, CO 80912  
01CY ATTN XPDQQ  
01CY ATTN XP

AIR FORCE GEOPHYSICS LABORATORY  
HANSOM AFB, MA 01731  
01CY ATTN OPR HAROLD GARDNER  
01CY ATTN OPR-1 JAMES C. ULWICK  
01CY ATTN LKB KENNETH S. W. CHAMPION  
01CY ATTN OPR ALVA T. STAIR  
01CY ATTN PHP JULES AARONS  
01CY ATTN PHD JURGEN BUCHAU  
01CY ATTN PHD JOHN P. MULLEN

AF WEAPONS LABORATORY  
KIRTLAND AFB, NM 87117  
01CY ATTN SUL  
01CY ATTN CA ARTHUR H. GUNTHER  
01CY ATTN DYC CAPT J. BARRY  
01CY ATTN DYC JOHN M. KAMM  
01CY ATTN DYT CAPT MARK A. FRY  
01CY ATTN DES MAJ GARY GANDONG  
01CY ATTN DYC J. JANNI

AFTAC  
PATRICK AFB, FL 32925  
01CY ATTN TF/MAJ WILEY  
01CY ATTN TN

AIR FORCE AVIONICS LABORATORY  
WRIGHT-PATTERSON AFB, OH 45433  
01CY ATTN AAD WADE HUNT  
01CY ATTN AAD ALLEN JOHNSON

DEPUTY CHIEF OF STAFF  
RESEARCH, DEVELOPMENT, & ACQ  
DEPARTMENT OF THE AIR FORCE  
WASHINGTON, D.C. 20330  
01CY ATTN AFRDQ

HEADQUARTERS  
ELECTRONIC SYSTEMS DIVISION/XR  
DEPARTMENT OF THE AIR FORCE  
HANSOM AFB, MA 01731  
01CY ATTN XR J. DEAS

HEADQUARTERS  
ELECTRONIC SYSTEMS DIVISION/YSEA  
DEPARTMENT OF THE AIR FORCE  
HANSOM AFB, MA 01731  
01CY ATTN YSEA

HEADQUARTERS  
ELECTRONIC SYSTEMS DIVISION/DC  
DEPARTMENT OF THE AIR FORCE  
HANSOM AFB, MA 01731  
01CY ATTN DCKC MAJ J.C. CLARK

COMMANDER  
FOREIGN TECHNOLOGY DIVISION, AFSC  
WRIGHT-PATTERSON AFB, OH 45433  
01CY ATTN NICD LIBRARY  
01CY ATTN ETDP B. BALLARD

COMMANDER  
ROME AIR DEVELOPMENT CENTER, AFSC  
GRIFFISS AFB, NY 13441  
01CY ATTN DOC LIBRARY/TSLD  
01CY ATTN OCSE V. COYNE

SAMSO/SZ  
POST OFFICE BOX 92960  
WORLDWAY POSTAL CENTER  
LOS ANGELES, CA 90009  
(SPACE DEFENSE SYSTEMS)  
01CY ATTN SZU

STRATEGIC AIR COMMAND/XPPS  
OFFUTT AFB, NE 68113  
01CY ATTN XPPS MAJ B. STEPHAN  
01CY ATTN ADWATE MAJ BRUCE BAUER  
01CY ATTN NRT  
01CY ATTN DOK CHIEF SCIENTIST

SAMSO/YA  
P. O. BOX 92960  
WORLDWAY POSTAL CENTER  
LOS ANGELES, CA 90009  
01CY ATTN YAT CAPT L. BLACKWELDER

SAMSO/SK  
P. O. BOX 92960  
WORLDWAY POSTAL CENTER  
LOS ANGELES, CA 90009  
01CY ATTN SKA (SPACE COMM SYSTEMS) M. CLAVIN

SAMSO/MN  
NORTON AFB, CA 92409  
(MINUTEMAN)  
01CY ATTN MNM LTC KENNEDY

COMMANDER  
ROME AIR DEVELOPMENT CENTER, AFSC  
HANSOM AFB, MA 01731  
01CY ATTN EEP A. LORENTZEN

DEPARTMENT OF ENERGY  
ALBUQUERQUE OPERATIONS OFFICE  
P. O. BOX 5400  
ALBUQUERQUE, NM 87115  
01CY ATTN DOC CON FOR D. SHERWOOD

DEPARTMENT OF ENERGY  
LIBRARY ROOM G-042  
WASHINGTON, D.C. 20545  
01CY ATTN DOC CON FOR A. LABOWITZ

EG&G, INC.  
LOS ALAMOS DIVISION  
P. O. BOX 809  
LOS ALAMOS, NM 85544  
01CY ATTN DOC CON FOR J. BREEDLOVE

UNIVERSITY OF CALIFORNIA  
LAWRENCE LIVERMORE LABORATORY  
P. O. BOX 808  
LIVERMORE, CA 94550  
01CY ATTN DOC CON FOR TECH INFO DEPT  
01CY ATTN DOC CON FOR L-389 R. OTT  
01CY ATTN DOC CON FOR L-31 R. HAGER  
01CY ATTN DOC CON FOR L-46 F. SEWARD

LOS ALAMOS SCIENTIFIC LABORATORY  
P. O. BOX 1663  
LOS ALAMOS, NM 87545  
01CY ATTN DOC CON FOR J. WOLCOTT  
01CY ATTN DOC CON FOR R. F. TASCHER  
01CY ATTN DOC CON FOR E. JONES  
01CY ATTN DOC CON FOR J. MALIK  
01CY ATTN DOC CON FOR R. JEFFRIES  
01CY ATTN DOC CON FOR J. ZINN  
01CY ATTN DOC CON FOR P. KEATON  
01CY ATTN DOC CON FOR D. WESTERVELT

SANDIA LABORATORIES  
P. O. BOX 5800  
ALBUQUERQUE, NM 87115  
01CY ATTN DOC CON FOR J. MARTIN  
01CY ATTN DOC CON FOR W. BROWN  
01CY ATTN DOC CON FOR A. THORNBROUGH  
01CY ATTN DOC CON FOR T. WRIGHT  
01CY ATTN DOC CON FOR D. DAHLGREN  
01CY ATTN DOC CON FOR 3141  
01CY ATTN DOC CON FOR SPACE PROJECT DIV

SANDIA LABORATORIES  
LIVERMORE LABORATORY  
P. O. BOX 969  
LIVERMORE, CA 94550  
01CY ATTN DOC CON FOR B. MURPHAY  
01CY ATTN DOC CON FOR T. COOK

OFFICE OF MILITARY APPLICATION  
DEPARTMENT OF ENERGY  
WASHINGTON, D.C. 20545  
01CY ATTN DOC CON FOR D. GALE

#### OTHER GOVERNMENT

CENTRAL INTELLIGENCE AGENCY  
ATTN RD/SI, RM 5G48, HQ BLDG  
WASHINGTON, D.C. 20505  
01CY ATTN OSI/PSID RM 5F 19

DEPARTMENT OF COMMERCE  
NATIONAL BUREAU OF STANDARDS  
WASHINGTON, D.C. 20234  
(ALL CORRES: ATTN SEC OFFICER FOR)  
01CY ATTN R. MOORE

INSTITUTE FOR TELECOM SCIENCES  
NATIONAL TELECOMMUNICATIONS & INFO ADMIN  
BOULDER, CO 80303  
01CY ATTN A. JEAN (UNCLASS ONLY)  
01CY ATTN W. UTLAUT  
01CY ATTN D. CROMBIE  
01CY ATTN L. BERRY

NATIONAL OCEANIC & ATMOSPHERIC ADMIN  
ENVIRONMENTAL RESEARCH LABORATORIES  
DEPARTMENT OF COMMERCE  
BOULDER, CO 80302  
01CY ATTN R. GRUBB  
01CY ATTN AERONOMY LAB G. REID

#### DEPARTMENT OF DEFENSE CONTRACTORS

AEROSPACE CORPORATION  
P. O. BOX 92957  
LOS ANGELES, CA 90009  
01CY ATTN I. GARFUNKEL  
01CY ATTN T. SALMI  
01CY ATTN V. JOSEPHSON  
01CY ATTN S. BOWER  
01CY ATTN N. STOCKWELL  
01CY ATTN D. OLSEN  
01CY ATTN J. CARTER  
01CY ATTN F. MORSE  
01CY ATTN SMFA FOR PWW

ANALYTICAL SYSTEMS ENGINEERING CORP  
5 OLD CONCORD ROAD  
BURLINGTON, MA 01803  
01CY ATTN RADIO SCIENCES

BERKELEY RESEARCH ASSOCIATES, INC.  
P. O. BOX 983  
BERKELEY, CA 94701  
01CY ATTN J. WORKMAN

BOEING COMPANY, THE  
P. O. BOX 3707  
SEATTLE, WA 98124  
01CY ATTN G. KEISTER  
01CY ATTN D. MURRAY  
01CY ATTN G. HALL  
01CY ATTN J. KENNEY

CALIFORNIA AT SAN DIEGO, UNIV OF  
IPAPS, B-019  
LA JOLLA, CA 92093  
01CY ATTN HENRY G. BOOKER

BROWN ENGINEERING COMPANY, INC.  
CUMMINGS RESEARCH PARK  
HUNTSVILLE, AL 35807  
01CY ATTN ROMEO A. DELIBERIS

CHARLES STARK DRAPER LABORATORY, INC.  
555 TECHNOLOGY SQUARE  
CAMBRIDGE, MA 02139  
01CY ATTN D. B. COX  
01CY ATTN J. P. GILMORE

COMPUTER SCIENCES CORPORATION  
6565 ARLINGTON BLVD  
FALLS CHURCH, VA 22046  
01CY ATTN M. BLANK  
01CY ATTN JOHN SPOOR  
01CY ATTN C. NAIL

COMSAT LABORATORIES  
LINTHICUM ROAD  
CLARKSBURG, MD 20734  
01CY ATTN G. HYDE  
CORNELL UNIVERSITY  
DEPARTMENT OF ELECTRICAL ENGINEERING  
ITHACA, NY 14850  
01CY ATTN D. T. FARLEY JR

ELECTROSPACE SYSTEMS, INC.  
BOX 1359  
RICHARDSON, TX 75080  
01CY ATTN H. LOGSTON  
01CY ATTN SECURITY (PAUL PHILLIPS)

ESL INC.  
495 JAVA DRIVE  
SUNNYVALE, CA 94086  
01CY ATTN J. ROBERTS  
01CY ATTN JAMES MARSHALL  
01CY ATTN C. W. PRETTIE

FORD AEROSPACE & COMMUNICATIONS CORP  
3939 FABIAN WAY  
PALO ALTO, CA 94303  
01CY ATTN J. T. MATTINGLEY

GENERAL ELECTRIC COMPANY  
SPACE DIVISION  
VALLEY FORGE SPACE CENTER  
GODDARD BLVD KING OF PRUSSIA  
P. O. BOX 8555  
PHILADELPHIA, PA 19101  
01CY ATTN M. H. BORTNER SPACE SCI LAB

GENERAL ELECTRIC COMPANY  
P. O. BOX 1122  
SYRACUSE, NY 13201  
01CY ATTN F. REIBERT

GENERAL ELECTRIC COMPANY  
TEMPO-CENTER FOR ADVANCED STUDIES  
816 STATE STREET (P.O. DRAWER QQ)  
SANTA BARBARA, CA 93102  
01CY ATTN DASIAC  
01CY ATTN DON CHANDLER  
01CY ATTN TOM BARRETT  
01CY ATTN TIM STEPHANS  
01CY ATTN WARREN S. KNAPP  
01CY ATTN WILLIAM MCNAMARA  
01CY ATTN B. GAMBILL  
01CY ATTN MACK STANTON

GENERAL ELECTRIC TECH SERVICES CO., INC.  
HMES  
COURT STREET  
SYRACUSE, NY 13201  
01CY ATTN G. MILLMAN

GENERAL RESEARCH CORPORATION  
SANTA BARBARA DIVISION  
P. O. BOX 6770  
SANTA BARBARA, CA 93111  
01CY ATTN JOHN ISE JR  
01CY ATTN JOEL GARBARINO

GEOPHYSICAL INSTITUTE  
UNIVERSITY OF ALASKA  
FAIRBANKS, AK 99701  
(ALL CLASS ATTN: SECURITY OFFICER)  
01CY ATTN T. N. DAVIS (UNCL ONLY)  
01CY ATTN NEAL BROWN (UNCL ONLY)  
01CY ATTN TECHNICAL LIBRARY

GTE SYLVANIA, INC.  
ELECTRONICS SYSTEMS GRP-EASTERN DIV  
77 A STREET  
NEEDHAM, MA 02194  
01CY ATTN MARSHAL CROSS

ILLINOIS, UNIVERSITY OF  
DEPARTMENT OF ELECTRICAL ENGINEERING  
URBANA, IL 61803  
01CY ATTN K. YEH

ILLINOIS, UNIVERSITY OF  
107 COBLE HALL  
801 S. WRIGHT STREET  
URBANA, IL 60680  
(ALL CORRES ATTN SECURITY SUPERVISOR FOR)  
01CY ATTN K. YEH

INSTITUTE FOR DEFENSE ANALYSES  
400 ARMY-NAVY DRIVE  
ARLINGTON, VA 22202  
01CY ATTN J. M. AEIN  
01CY ATTN ERNEST BAUER  
01CY ATTN HANS WOLFHARD  
01CY ATTN JOEL BENGSTON

HSS, INC.  
2 ALFRED CIRCLE  
BEDFORD, MA 01730  
01CY ATTN DONALD HANSEN

INTL TEL & TELEGRAPH CORPORATION  
500 WASHINGTON AVENUE  
NUTLEY, NJ 07110  
01CY ATTN TECHNICAL LIBRARY

JAYCOR  
1401 CAMINO DEL MAR  
DEL MAR, CA 92014

JOHNS HOPKINS UNIVERSITY  
APPLIED PHYSICS LABORATORY  
JOHNS HOPKINS ROAD  
LAUREL, MD 20810  
01CY ATTN DOCUMENT LIBRARIAN  
01CY ATTN THOMAS POTEMRA  
01CY ATTN JOHN DASSOULAS

LOCKHEED MISSILES & SPACE CO INC  
P. O. BOX 504  
SUNNYVALE, CA 94088  
01CY ATTN DEPT 60-12  
01CY ATTN D. R. CHURCHILL

LOCKHEED MISSILES AND SPACE CO INC  
3251 MANOVER STREET  
PALO ALTO, CA 94304  
01CY ATTN MARTIN WALT DEPT 52-10  
01CY ATTN RICHARD G. JOHNSON DEPT 52-12  
01CY ATTN W. L. IMHOF DEPT 52-12

KAMAN SCIENCES CORP  
P. O. BOX 7463  
COLORADO SPRINGS, CO 80933  
01CY ATTN T. MEAGHER

LINKABIT CORP  
10453 ROSELLE  
SAN DIEGO, CA 92121  
01CY ATTN IRWIN JACOBS

M.I.T. LINCOLN LABORATORY  
P. O. BOX 73  
LEXINGTON, MA 02173  
01CY ATTN DAVID M. TOWLE  
01CY ATTN P. WALDRON  
01CY ATTN L. LOUGHLIN  
01CY ATTN D. CLARK

MARTIN MARIETTA CORP  
ORLANDO DIVISION  
P. O. BOX 5837  
ORLANDO, FL 32805  
01CY ATTN R. HEFFNER

MCDONNELL DOUGLAS CORPORATION  
5301 BOLSA AVENUE  
HUNTINGTON BEACH, CA 92647  
01CY ATTN N. HARRIS  
01CY ATTN J. MOULE  
01CY ATTN GEORGE MROZ  
01CY ATTN W. OLSON  
01CY ATTN R. W. HALPRIN  
01CY ATTN TECHNICAL LIBRARY SERVICES

R & O ASSOCIATES  
P. O. BOX 9695  
MARINA DEL REY, CA 90291  
01CY ATTN FORREST GILMORE  
01CY ATTN BRYAN GABBARD  
01CY ATTN WILLIAM B. WRIGHT JR  
01CY ATTN ROBERT F. LELEVIER  
01CY ATTN WILLIAM J. KARZAS  
01CY ATTN H. ORY  
01CY ATTN C. MACDONALD  
01CY ATTN R. TURCO

MISSION RESEARCH CORPORATION  
735 STATE STREET  
SANTA BARBARA, CA 93101  
01CY ATTN P. FISCHER  
01CY ATTN W. F. CREVIER  
01CY ATTN STEVEN L. GUTSCHE  
01CY ATTN D. SAPPENFIELD  
01CY ATTN R. BOGUSCH  
01CY ATTN R. MENDRICK  
01CY ATTN RALPH KILB  
01CY ATTN DAVE SOWLE  
01CY ATTN F. FAJEN  
01CY ATTN M. SCHEIBE  
01CY ATTN CONRAD L. LONGMIRE  
01CY ATTN WARREN A. SCHLUETER

RAND CORPORATION, THE  
1700 MAIN STREET  
SANTA MONICA, CA 90406  
01CY ATTN CULLEN CRAIN  
01CY ATTN ED BEDROZIAN

RIVERSIDE RESEARCH INSTITUTE  
80 WEST END AVENUE  
NEW YORK, NY 10023  
01CY ATTN VINCE TRAPANI

MITRE CORPORATION, THE  
P. O. BOX 208  
BEDFORD, MA 01730  
01CY ATTN JOHN MORGANSTERN  
01CY ATTN G. HARDING  
01CY ATTN C. E. CALLAHAN

SCIENCE APPLICATIONS, INC.  
P. O. BOX 2351  
LA JOLLA, CA 92038  
01CY ATTN LEWIS M. LINSON  
01CY ATTN DANIEL A. HAMLIN  
01CY ATTN D. SACHS  
01CY ATTN E. A. STRAKER  
01CY ATTN CURTIS A. SMITH  
01CY ATTN JACK McDougall

MITRE CORP  
WESTGATE RESEARCH PARK  
1820 DOLLY MADISON BLVD  
MCLEAN, VA 22101  
01CY ATTN W. HALL  
01CY ATTN W. FOSTER

RAYTHEON CO.  
528 BOSTON POST ROAD  
SUDSBURY, MA 01776  
01CY ATTN BARBARA ADAMS

SCIENCE APPLICATIONS, INC.  
HUNTSVILLE DIVISION  
2109 W. CLINTON AVENUE  
SUITE 700  
HUNTSVILLE, AL 35805  
01CY ATTN DALE H. DIVIS

PACIFIC-SIERRA RESEARCH CORP  
1456 CLOVERFIELD BLVD.  
SANTA MONICA, CA 90404  
01CY ATTN E. C. FIELD JR

PENNSYLVANIA STATE UNIVERSITY  
IONOSPHERE RESEARCH LAB  
318 ELECTRICAL ENGINEERING EAST  
UNIVERSITY PARK, PA 16802  
(NO CLASSIFIED TO THIS ADDRESS)  
01CY ATTN IONOSPHERIC RESEARCH LAB

SCIENCE APPLICATIONS, INCORPORATED  
8400 WESTPARK DRIVE  
MCLEAN, VA 22101  
01CY ATTN J. COCKAYNE

SCIENCE APPLICATIONS, INC.  
80 MISSION DRIVE  
PLEASANTON, CA 94566  
01CY ATTN SZ

PHOTOMETRICS, INC.  
442 MARRETT ROAD  
LEXINGTON, MA 02173  
01CY ATTN IRVING L. KOFSKY

SRI INTERNATIONAL  
333 RAVENSWOOD AVENUE  
MENLO PARK, CA 94025  
01CY ATTN DONALD NEILSON  
01CY ATTN ALAN BURNS  
01CY ATTN G. SMITH  
01CY ATTN L. L. COBB  
01CY ATTN DAVID A. JOHNSON  
01CY ATTN WALTER G. CHESNUT  
01CY ATTN CHARLES L. RINO  
01CY ATTN WALTER JAYE  
01CY ATTN M. BARON  
01CY ATTN RAY L. LEADABRAND  
01CY ATTN G. CARPENTER  
01CY ATTN G. PRICE  
01CY ATTN J. PETERSON  
01CY ATTN R. HAKE, JR.  
01CY ATTN V. GONZALES  
01CY ATTN D. McDANIEL

PHYSICAL DYNAMICS INC.  
P. O. BOX 3027  
BELLEVUE, WA 98009  
01CY ATTN E. J. FREMOUR

PHYSICAL DYNAMICS INC.  
P. O. BOX 1069  
BERKELEY, CA 94701  
01CY ATTN A. THOMPSON

TECHNOLOGY INTERNATIONAL CORP  
75 WIGGINS AVENUE  
BEDFORD, MA 01730  
01CY ATTN W. P. BOQUIST

TRW DEFENSE & SPACE SYS GROUP  
ONE SPACE PARK  
REDONDO BEACH, CA 90278  
01CY ATTN R. K. PLEBUCH  
01CY ATTN S. ALTSCHULER  
01CY ATTN D. DEE

VISIDYNE, INC.  
19 THIRD AVENUE  
NORTH WEST INDUSTRIAL PARK  
BURLINGTON, MA 01803  
01CY ATTN CHARLES HUMPHREY  
01CY ATTN J. W. CARPENTER